

| Semester            | III      | Course Title   | Engineering Mathematics-III | Course Code | 18MAT-31  |
|---------------------|----------|----------------|-----------------------------|-------------|-----------|
| Teaching Period     | 50 Hours | L – T – P – TL | 2 - 1 - 0 - 3               | SEE         | 3 Hours   |
| CIE                 | 40 Marks | SEE            | 60Marks                     | Total       | 100 Marks |
| <b>CREDITS - 03</b> |          |                |                             |             |           |

**Course objectives:**

- To have an insight into Fourier series, Fourier transforms, Laplace transforms, Difference equations and Z-transforms.
- To develop the proficiency in variational calculus and solving ODE's arising in engineering applications, using numerical methods.

**:: Module-1 :(10 Hours)**

**Laplace Transforms:** Definition and Laplace transform of elementary functions. Properties of Laplace transforms (without proof). Laplace transforms of Periodic functions (statement only) and unit-step function – problems.

**Inverse Laplace Transforms:** Inverse Laplace transform - problems, Convolution theorem to find the inverse Laplace transform (without proof) and problems, solution of linear differential equations using Laplace transforms.

**RBTL – L1, L2**

**:: Module-2 :: (10 Hours)**

**Fourier series:** Periodic functions, Dirichlet's condition. Fourier series of periodic functions period  $2\pi$  and arbitrary period  $2l$ . Fourier series of even and odd function. Half range Fourier series. Practical harmonic analysis, examples from engineering field.

**RBTL –L1, L2**

**:: Module-3 :: (10 Hours)**

**Fourier Transforms:** Infinite Fourier transforms, Fourier sine and cosine transforms. Inverse Fourier transforms, simple problems.

**Difference Equations and Z-Transforms:** Difference equations, basic definition, z-transform-definition, Standard z-transforms, Damping and shifting rules, initial value and final value theorems (without proof) and problems, Inverse z-transforms, simple problems.

**RBTL –L1, L2**

**:: Module-4 :: (10 Hours)**

**Numerical Solutions of Ordinary Differential Equations (ODE's):** Numerical solution of ODE's of first order and first degree- Taylor's series method, Modified Euler's method. Runge - Kutta method of fourth order, Milne's and Adam's- Bashforth predictor and corrector method (No derivations of formulae), Problems.

**RBTL –L1, L2**

**:: Module-5 :: (10 Hours)**

**Numerical Solution of Second Order ODE's:** Runge -Kutta method and Milne's predictor and corrector method (No derivations of formulae)-Problems.

**Calculus of Variations:** Variation of function and functional, variational problems, Euler's equation, Geodesics, hanging chain, problems.

**RBTL –L1,L3**

**L1-Understanding, L2-Remembering, L3-Applying.**

**Course outcomes:**

At the end of the course the student will be able to:

1. CO1: Use Laplace transform and inverse Laplace transform in solving differential/ integral equation arising in network analysis, control systems and other fields of engineering.
2. CO2: Demonstrate Fourier series to study the behavior of periodic functions and their applications in system communications, digital signal processing and field theory.
3. CO3: Make use of Fourier transform and Z-transform to illustrate discrete/continuous function arising in wave and heat propagation, signals and systems.
4. CO4: Solve first and second order ordinary differential equations arising in engineering problems by applying single step and multistep numerical methods.
5. CO5: Determine the extremals of functionals using the calculus of variations and solve problems arising in the dynamics of Rigid bodies and vibration analysis.

**Question paper pattern:**

- The question paper will have ten full questions carrying equal marks.
  - Each full question will be for 20 marks.
  - There will be two full questions (with a maximum of three sub- questions) from each module.
  - Each full question will have sub- question covering all the topics under a module.
- The students will have to answer five full questions, selecting one full question from each module.

**Textbooks**

1. Advanced Engineering Mathematics, E. Kreyszing, John Wiley & Sons, 10<sup>th</sup> Edition, 2016.
2. Higher Engineering Mathematics, B.S. Grewal, Khanna Publishers, 44<sup>th</sup> Edition, 2017.

**Reference Books**

1. Higher Engineering Mathematics, B.V. Ramana, McGraw-Hill, 11<sup>th</sup> Edition, 2010.
2. A Text Book of Engineering Mathematics, N. P. Bali and Manish Goyal, Laxmi Publications, 2014.